JDQS 30,3

172

Received 30 January 2022 Revised 25 February 2022 Accepted 19 March 2022

Market impact cost asymmetry of the National Pension Service and its determinant analysis

Yunsung Eom

Division of Management, Hansung University, Seoul, Republic of Korea, and Mincheol Woo

Department of Special Investigation, Korea Exchange, Seoul, Republic of Korea

Abstract

As of March 2021, the National Pension Service (NPS) is the world's 3rd largest pension fund with 872.5tn won (KRW) in management. Recently, the NPS proposed a policy to gradually reduce the proportion of domestic stocks in the portfolio in the future. This change in the asset allocation strategy is related to the NPS's exit strategy for domestic stocks. This study aims to examine the market impact cost asymmetry between buys and sells of the NPS and suggest a trading strategy for mitigating the market impact cost. The results are as follows. First, there is an asymmetry between buys and sells in the market impact cost of the NPS. The market impact cost of the NPS is gradually increasing over time. In particular, the market impact cost from selling has increased significantly in recent years. Second, past returns, volatility, liquidity and trading intensity can be found as external factors affecting the asymmetric market impact cost of the NPS. Although there is no difference between the buying and selling ratios of the NPS, the market impact cost from sells is relatively higher than that from buys. Third, after controlling for the order execution size of the NPS, the longer the trade execution period, the lower the market impact cost. This result implies that the strategy of splitting orders as a way to reduce the market impact cost is effective. The trading behavior of the NPS directly or indirectly affects other investors. If the sell of the NPS incurs excessive market impact cost, the negative impact on the stock price will be further exacerbated. Therefore, it is necessary for the NPS to reduce the market impact cost through split trading in executing orders in the domestic stock market. Findings of this study provide implications for countermeasures and long-term management strategies that can minimize the market impact cost of the NPS in the process of reducing the proportion of domestic stocks in the future.

Keywords National Pension Service, Market impact cost, Price impact asymmetry, Pension funds, Split trading

Paper type Research paper

1. Introduction

The National Pension Service (hereafter NPS) of Korea, the institutional investor who manages the largest amount of funds in the domestic stock market, uses a contrarian strategy and is known to act as a market stabilizer and liquidity provider in the stock market (Kho *et al.*, 2008; Nahm *et al.*, 2015; Woo and Kim, 2018, 2019) and in the futures market (Woo and Kim, 2021). In particular, there is a study showing that the NPS causes a relatively small market impact cost compared to other investors (Eom and Woo, 2021).

According to previous studies, there is no evidence to judge that the trading behavior of the NPS negatively affects stock volatility or market stability. However, some studies have



Journal of Derivatives and Quantitative Studies: 선물연구 Vol. 30 No. 3, 2022 pp. 172-196 Emerald Publishing Limited e-ISSN: 2713-6647 p-ISSN: 1229-988(X) DOI 10.1108/[DQS-01-2022-0003

JEL Classification - G11, G12, G23

This research was conducted with support from the 2021 Korean Derivatives Association-Mirae Asset Management Research Support Project.

limitations in that they estimate the market impact cost using daily data rather than intraday data. Keim and Madhavan (1997) show that there exist significant differences between the temporary and permanent impacts of buyer-initiated and seller-initiated trades in the US markets. Since information is reflected in the price in real time, it is not easy to distinguish information effect from the market impact cost using daily transaction data. Our study is different from previous studies in that it estimates the market impact cost using high-frequency intraday data and analyzes the existence and causes of the asymmetry in the market impact cost between buys versus sells.

As of March 2021, the NPS is the world's 3rd largest pension fund with 872.5tn won (KRW) in management. While domestic stock management grew 74.5% from 102.4tn won in 2016 to 178.7tn won (20% proportion) as of March 2021, overseas stocks grew by 150.6% from 85.7tn won in 2016 to 214.8tn won (25% proportion) as of March 2021. Recently, the NPS proposed a policy to gradually reduce the proportion of domestic stocks in the portfolio to 15% by 2023. Since the NPS is planning a strategy to reduce the proportion of domestic stock investment in the future, it is considering market impacts due to an exit strategy and a stock price decline due to investors' follow-up trading. Therefore, this study seeks to answer the following questions.

First, this study investigates whether there is an asymmetry in the market impact cost between the NPS's buys and sells. The NPS is known to use a contrarian strategy, to hedge through shorting futures and not to use a short selling strategy. Futures trading is used as a complementary trading strategy for spot trading rather than arbitrage. Due to the NPS's spot and futures trading strategy, an asymmetry in the market impact cost between buys and sells may appear. Chiyachantana *et al.* (2004) show that market impact costs are observed asymmetrically according to the market conditions. During the market uptrend, the market impact cost of buys is relatively larger, and during the market downturn, the market impact cost of sells is observed to be relatively larger. This suggests implications for strategies that can minimize the market impact cost in implementing the plan to reduce the proportion of domestic stock investment.

Second, if the market impact cost of the NPS is asymmetric, this study looks for the cause in external factors such as the market conditions, information asymmetry, trading intensity and volatility. Chiyachantana *et al.* (2017), who first empirically analyzes Saar (2001) theoretical model on the asymmetry in the market impact cost between buys and sells, generally observe that the market impact cost of buys is larger than that of sells. However, when the stock price rises, the asymmetry of the market impact cost decreases or a reverse situation occurs in which the market impact cost of sells is greater than that of buys. In addition, as information asymmetry, intrinsic volatility, analyst forecast dispersion, trading intensity and price volatility increase, the reversal of the asymmetry of the market impact cost is further expanded.

Third, if the market impact cost of the NPS is asymmetric, this study looks for the cause in internal factors such as the frequency, the size and the timing of trades. In addition, depending on the execution of orders by securities companies following the execution of funds by the NPS, an asymmetry in the market impact cost between buys and sells may appear.

We calculate the market impact cost of buys and sells based on the history of the NPS's transactions in the domestic stock market from 2010 to 2018 and analyze the asymmetry. The main results are as follows. First, there is an asymmetry between buys and sells in the market impact cost of the NPS. The market impact cost of the NPS is gradually increasing over time, and the market impact cost from selling has increased significantly in recent years. Second, past returns, volatility, liquidity and trading intensity can be found as external factors affecting the asymmetric market impact cost of the NPS. Although there is no difference between the buying and selling ratios of the NPS, the market impact cost from sells is

Market impact cost asymmetry of the NPS relatively higher than that from buys. After controlling for stock characteristics and past returns, the market impact cost of sells is still relatively larger than that of buys. Third, as an internal factor affecting the asymmetric market impact cost of the NPS, the differential order strategy between the sell order and the buy order of the NPS may be a factor. After controlling for the order execution size of the NPS, the longer the trade execution period, the lower the market impact cost. This result implies that the strategy of splitting orders as a way to reduce the market impact cost is effective. However, even considering the trade execution period, the market impact cost of sells is still higher than that of buys. This result is attributable to the NPS's more aggressive order submission on sell orders.

This study on the asymmetry of the market impact cost of the NPS can predict the market impact and the possibility of stock price fluctuations according to the exit strategy of the NPS in the future. This study also provides a basis for estimating whether other market participants use contrarian trading or positive feedback trading in response to the market impact caused by the NPS. In addition, our findings are expected to provide implications for countermeasures and long-term management strategies that can minimize the market impact cost of the NPS in the process of reducing the proportion of domestic stocks in the future.

The rest of this paper is organized as follows. Section 2 summarizes literature review, Section 3 describes research data and methodologies, Section 4 presents the research results and Section 5 discusses the conclusions and implications.

2. Literature review

There are not many studies on the market impact cost in the domestic stock market due to the limitations of intraday quotation and transaction data. Representative studies analyzing the market impact cost of the domestic stock market include Lee and Choe (1997), Kang (1999) and Eom and Woo (2021).

Lee and Choe (1997) analyze the market impact cost using quotation and transaction data of KOSPI 200 stocks for three months from April to June 1995. As a result of the analysis, there is no significant difference between the market impact cost from buys and the market impact cost from sells, and the market impact cost increases in proportion to the size of the order. Kang (1999) analyzes the market impact cost using stock index data from June 1987 to June 1999. According to the analysis result, the market impact cost is lower than the results of previous studies, but relatively high compared to non-Asian countries.

The study of Eom and Woo (2021) is interesting in that it analyzes the market impact cost of the NPS rather than market impact costs as a whole. They analyze the market impact cost of the stocks traded by the NPS for 10 years from July 2008 to June 2018. As a result of the analysis, the NPS shows relatively large market impact costs compared to individual investors, but relatively small market impact costs compared to investment trusts, pension funds and foreign investors. They also argue that the NPS adopts a trading strategy that reduces market impacts through relatively efficient order submission compared to other market participants.

Chan and Lakonishok (1993, 1997) and Keim and Madhavan (1997) analyze market impact costs in the US stock market. Chan and Lakonishok (1993) show that the market impact cost of buys is higher than that of sells. They argue that the asymmetry of the market impact cost is observed because sell transactions are often due to liquidity, whereas buy transactions are mainly due to good news for the stock. Chan and Lakonishok (1997) show that the market impact costs for large stocks are lower on the NYSE, while market impact costs for smaller stocks are lower on the NASDAQ. Keim and Madhavan (1997) analyze the explicit and implicit transaction costs by market and show that transaction costs in NASDAQ are larger than those in NYSE or AMEX.

IDQS

They also find that buys, especially in small stocks, are generally more costly than <u>N</u> equivalent sells.

A comparative analysis of market impact costs by country is also being actively conducted. Domowitz and Madhavan (2001) study the explicit and implicit transaction costs of each country using transaction data for 42 countries from September 1996 to December 1998. As a result of the analysis, the country with the lowest transaction cost is about 30 basis points, and the country with the highest transaction cost is about 198 basis points, indicating that the market impact cost of developed countries is lower than that of developing countries.

Chiyachantana *et al.* (2004) provide important insights on the impact of the market condition on the price impact asymmetry by analyzing market impact costs across 37 countries. As a result of the analysis, market conditions can affect the market impact cost, and the average market impact cost is observed to be in the range of 31–45 basis points. In addition, the market impact cost for buys is relatively large in bullish markets, and the market impact cost for sells is relatively large in bearish markets. This finding suggests that the liquidity available to buy (sell) orders is higher in bearish (bullish) markets. It is interpreted that this is because it is relatively easy for sellers to find buyers during a market upturn, and buyers to find sellers during a market downturn.

Recently, Chiyachantana *et al.* (2017) empirically analyze Saar (2001)'s theoretical model on the asymmetry of the market impact cost between sells and buys. They show that the sign of the permanent price impact asymmetry between institutional buys versus sells is positive at the initial stage of a price run-up and decreases and becomes negative as the stock price rises, resulting in a reverse situation in which the market impact cost of sells is greater than that of buys. In addition, they show that idiosyncratic volatility, analyst forecast dispersion, trading intensity, price dispersion and bullish market conditions further sharpen the initial asymmetry, as well as its reversal after a price run-up.

3. Data and methodology

3.1 Data

The purpose of this study is to analyze the asymmetry of the market impact cost of the NPS and to find its determinants. Since it is not easy to directly use the stock trading data of the NPS, which is the subject of our study, we reconstruct the trading data through an indirect method. The process is as follows. First, disclosures reported in the name of the NPS are collected from the ownership status report of the Korea Exchange Disclosure System (KIND.KRX.CO.KR) from July 2008 to June 2018. We reconstruct a database of stocks, date, volume and average price that the NPS bought or sold. Second, we find an account with the same trading details as those reported by the NPS in the trading book of the Korea Exchange. Through this process, the transaction details of the NPS, which traded 1,211 stocks through 5,620 accounts, are confirmed. The NPS accounts for 0.07% of the total 7,953,518 market participants' accounts and trades 44.9% of listed stocks. Third, we complete a database in which the trading details of other stocks not reported in the ownership status report are added to the accounts owned by the NPS. From January 2010 to December 2018, there was 4,814,081 stock-date, and the NPS traded 2,827 times per stock, 513,594 shares and 4,06bn won. Finally, the market impact cost of buys and sells is calculated based on the submitted quotes and trades of the NPS.

3.2 Methodology

Market impact cost is to calculate how much the current market price has been changed by a quote submitted by a specific investor. The market impact cost of buys raises the current market price, while the market impact cost of sells causes the current market price to fall. The trade of buys is executed higher than the reference price, and the trade of sells is executed

Market impact cost asymmetry of the NPS

175

lower than the reference price, resulting in market impact costs and implicit transaction costs for investors. In order not to incur market impact costs, non-initiated trading should be executed by submitting a liquidity supply quote, but this has the disadvantage of not guaranteeing the immediacy of execution.

We calculate the market impact cost in the following way. First, among the bid price submitted by the NPS that is higher than the reference price and the ask price submitted lower than the reference price, the transaction details are selected. The average price of the best bid and best ask price at the time of execution is used as the reference price. Second, the transaction amount-weighted market impact cost is calculated when the order quantity exceeds the remaining depth of the best bid or ask price and is executed with a second-best bid or ask price. Third, the transaction amount-weighted market impact cost of a specific stock on a specific day is calculated using the transaction records that caused a market impact and did not have a market impact. Finally, by taking into account external factors such as stock characteristics, trading venue, market conditions and internal factors such as the size and time of fund execution, the market impact cost is analyzed.

Table 1 shows summary statistics of the market impact cost of the NPS calculated by date (Panel A) and by stock (Panel B) during the sample period. In Panel A, the market impact cost of buys (BMIC) is 0.3492%, raising the current market price by 34 basis points on average, and the market impact cost of sells (SMIC) is -0.4283%, lowering the current market price by 42 basis points on average. Our results are inconsistent with Chan and Lakonishok (1993) show that the market impact cost of buys is higher than that of sells. On the other hand, as for the proportion of the NPS's transaction amount in the total transaction amount of the stock, there is no significant difference between the ratio of buy volume (B Ratio) on average, 6.74%, and the ratio of sell volume (S Ratio) on average, 6.33%. The absolute value of the market impact cost between buys and sells shows a statistically significant difference at the 1% level (t-value is -7.85), while the trading ratio between buys and sells does not show a statistically significant difference (t-value is 0.04). Specifically, when calculated by each stock in Panel B, the average market impact cost of buys is 27 basis points, while the market impact cost of sells is -32 basis points on average. The absolute value of the market impact cost between buys and sells shows a statistically significant difference at the 1% level (t-value is -5.64). However, there is no statistically significant difference between the ratio of buy volume, 8.66%, and the ratio of sell volume, 8.02% (*t*-value is 0.06).

Figure 1 presents the time-series trend of market impact costs of the NPS's buys and sells. From 2010 to 2018, the market impact cost is showing a slight increase. In particular, the market impact cost of sells has been increasing in recent years, and it is showing a relatively larger absolute value than the market impact cost of buys.

3.3 Determinants of market impact cost

3.3.1 Market conditions. Woo and Kim (2018, 2019) find that the NPS follows a contrarian strategy in the KSE and KOSDAQ market. Since the market impact cost of a specific stock is affected by the stock price movement in the past, Equation (1) is a regression analysis model for the market impact cost that reflects the cumulative abnormal return for a certain period in the past as a control variable. A dummy variable is added for the market impact cost of buys in Equation (2); and a dummy variable is added for the market impact cost of sells in Equation (3); and dummy variables are added for the market impact cost of buys and sells in Equation (4) to test the difference between buys and sells. We also adopt a model using the net market impact cost (NET MIC), which is the sum of the market impact cost of buys and sells, as a dependent variable, and a model using the market impact cost as a dependent variable by changing it to an absolute value (ABS MIC). We also divide our sample into quintiles based on the cumulative abnormal returns for a certain period in the past and run a regression analysis

176

IDQS

	BMIC	SMIC	B ratio	S ratio	Market impac
Panel A: by date					cos asymmetry o
Nobs		2,22	20		
Mean	0.3492	-0.4283	0.0674	0.0633	the NP
St. dev	0.1061	0.1640	0.0190	0.0203	
T value	155.07	-123.03	167.20	146.72	
Max	0.8923	-0.0896	0.1526	0.1896	17
99%	0.5923	-0.1385	0.1162	0.1149	
95%	0.5222	-0.1919	0.1003	0.0958	
90%	0.4845	-0.2282	0.0913	0.0886	
J 3	0.4221	-0.3033	0.0790	0.0771	
Median	0.3505	-0.4139	0.0674	0.0631	
Q1	0.2665	-0.5329	0.0547	0.0487	
10%	0.2139	-0.6455	0.0421	0.0363	
5%	0.1858	-0.7199	0.0365	0.0302	
۱%	0.1407	-0.8852	0.0273	0.0231	
Min	0.0973	-1.2667	0.0189	0.0157	
Panel B: by stock					
Nobs		1,03	3		
Mean	0.2753	-0.3210	0.0866	0.0802	
St. dev	0.1581	0.2725	0.0675	0.0625	
T value	55.96	-37.85	41.27	41.26	
Max	1.1399	0.0000	0.7854	0.5705	
99%	0.7694	-0.0030	0.3500	0.3085	
95%	0.5436	-0.0617	0.2020	0.1853	
90%	0.4748	-0.0977	0.1630	0.1493	
Q3	0.3631	-0.1760	0.1118	0.1016	
Median	0.2610	-0.2782	0.0709	0.0670	
Q1	0.1633	-0.4154	0.0442	0.0413	
10%	0.0945	-0.5547	0.0269	0.0240	
5%	0.0513	-0.6812	0.0168	0.0130	
۱%	0.0031	-1.0140	0.0037	0.0020	
Min	0.0000	-5.2810	0.0000	0.0000	

Note(s): This table presents summary statistics of the market impact cost of the NPS calculated by date (Panel A) and by stock (Panel B) from January 2010 to December 2018. BMIC is the market impact cost from buys of the NPS, and SMIC is the market impact cost from sells of the NPS. The proportion of the NPS's transaction amount in the total transaction amount of the stock are B Ratio (the ratio of buy volume) and S Ratio (the ratio of sell volume), respectively

 Table 1.

 Summary statistics (unit: %)

using Equations (2)–(4) for groups belonging to the high returns (highest 20% group), middle returns (middle 20% group) and low returns (lowest 20% group).

$$MIC_{i,t} = \alpha_0 + \beta_1 * CAR_{i,t-\tau,t-1} + \sum_{n=1}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$$
(1)

$$MIC_{i,t} = \alpha_0 + \beta_0 * D(Buy)_{i,t} + \beta_1 * CAR_{i,t-\tau,t-1} + \sum_{n=2}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$$
(2)

$$\text{MIC}_{i,t} = \alpha_0 + \beta_0 * D(\text{Sell})_{i,t} + \beta_1 * \text{CAR}_{i,t-\tau,t-1} + \sum_{n=2}^{m} \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t} \quad (3)$$



178

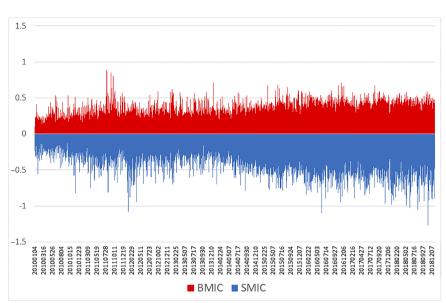


Figure 1. Daily trends in market impact costs

Note(s): This figure presents the time-series trend of market impact costs of the NPS from January 2010 to December 2018. BMIC is the market impact cost from buys of the NPS and SMIC is the market impact cost from sells of the NPS

$$MIC_{i,t} = \alpha_0 + \beta_0 * D(Buy)_{i,t} + \beta_1 * D(Sell)_{i,t} + \beta_2 * CAR_{i,t-\tau,t-1} + \sum_{n=3}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$$
(4)

MIC: Market impact cost

or, NET MIC: Net market impact cost

or, ABS MIC: Absolute value of the market impact cost

CAR: Cumulative abnormal return

D(Buy): Dummy variable of buys of the NPS

D(Sell): Dummy variable of sells of the NPS

ControlVariables: Control variables

3.3.2 Internal factors and external factors. If there is a difference in the market impact cost between buys and sells of the NPS, we first analyze whether the market impact cost is affected by external factors. Equation (5) is a regression analysis on whether the market impact cost of the NPS is affected by the bid-ask spread, an indicator of information asymmetry. Equation (6) is a regression analysis on whether the market impact cost of the NPS is affected by Amihud's illiquidity measure, an indicator of illiquidity. Equation (7) is a regression analysis on whether the market impact cost of the volues. Equation (8) is a regression analysis on whether the market impact cost of the VPS is affected by trading intensity, which represents the proportion of the transaction value of the NPS to

the total transaction value of the day. Equation (9) is a regression analysis on whether the market impact cost of the NPS is affected by the internal factors of the NPS, such as the frequency and size of fund execution. The amount of fund execution is estimated by summing up the transaction values based on the continuity of trading details.

$$\text{MIC}_{i,t} = \alpha_0 + \beta_0 * D(\text{Buy})_{i,t} + \beta_1 * \text{Spread}_{i,t} + \sum_{n=1}^m \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t}$$

$$\operatorname{MIC}_{i,t} = \alpha_0 + \beta_0 * D(\operatorname{Buy})_{i,t} + \beta_1 * \operatorname{Amihud}_{i,t} + \sum_{n=1}^m \beta_{i,n} * \operatorname{ControlVariables}_{i,n} + \varepsilon_{i,t}$$
(6)

$$\text{MIC}_{i,t} = \alpha_0 + \beta_0 * D(\text{Buy})_{i,t} + \beta_1 * \text{Volatility}_{i,t} + \sum_{n=1}^m \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t}$$
(7)

$$\text{MIC}_{i,t} = \alpha_0 + \beta_0 * D(\text{Buy})_{i,t} + \beta_1 * \text{TradeRatio}_{i,t} + \sum_{n=1}^{m} \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t}$$
(8)

$$\operatorname{MIC}_{i,t} = \alpha_0 + \beta_0 * D(\operatorname{Buy})_{i,t} + \sum_{n=1}^{10} \gamma_t * \operatorname{Trade}_t + \sum_{n=1}^m \beta_{i,n} * \operatorname{ControlVariables}_{i,n} + \varepsilon_{i,t}$$
(9)

MIC: Market impact cost

or, NET MIC: Net market impact cost

or, ABS MIC: Absolute value of the market impact cost

D(Buy): Dummy variable of buys of the NPS

or, D(Sell): Dummy variable of sells of the NPS

Spread: Intraday spread

Amihud: Amihud's illiquidity measure

Volatility: Intraday volatility

TradeRatio: Trading ratio of the NPS

Trade: Trading amount of the NPS

ControlVariables: All control variables (A variable to be further analyzed is excluded from control variables)

We divide our sample into quintiles based on the bid-ask spread in Equation (5), Amihud's illiquidity measure in Equation (6), intraday volatility in Equation (7), trading intensity in Equation (8) and the amount of fund execution in Equation (9). We run a regression analysis using Equations (5)–(9) for groups belonging to the low group (lowest 20% group), middle group (middle 20% group) and high group (highest 20% group).

In the regression model, intraday volatility, spread, turnover ratio, Amihud measure, short selling ratio, daily rate of return, short selling amount, stock price, trading amount and market capitalization on the day, trading ratio are used as control variables. The intraday volatility is the difference between the intraday high and low prices divided by the average of the two values. The spread is the average value of the intraday spread, which is calculated by dividing the difference between the best bid quote and the best ask quote by the average of the two values. The turnover ratio is the daily trading volume divided by the number of

179

cost

the NPS

Market impact

asymmetry of

(5)

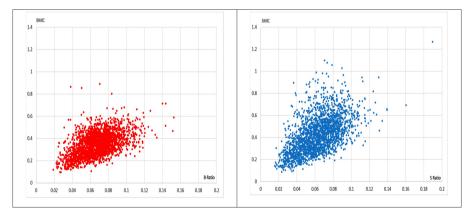
outstandings. The Amihud's illiquidity measure is the absolute value of the daily return to trading amount ratio. The short selling ratio represents the proportion of the short selling volume to the trading volume of the day. The daily rate of return is the return on the closing price of the day compared to the closing price of the previous day. The trading ratio is the proportion of the NPS's transaction amount in the total transaction amount of the stock. The short selling amount is the natural logarithm of the short selling amount on the day. Stock prices, transaction amount and market capitalization are natural logarithms.

4. Main results

4.1 Trading intensity and market impact cost

This section calculates the market impact cost that affects the stock price in the process of the NPS's buying and selling in the domestic stock market and compares the difference of the market impact cost between buys and sells. Since the NPS is the world's third-largest public pension and the largest institutional investor in Korea, the trading behavior of the NPS is subject to follow-up trading by other investors. Not only the buys by the NPS but also the stock price increase due to the market impact cost of buys can act as good news for the market. A decline in stock prices due to market impact cost of sells as well as the selling by the NPS can act as bad news for the market.

Figure 2 shows the relationship between the trading intensity of the NPS and the market impact cost. There is a positive relationship between the trading intensity of the NPS and the market impact cost. As the trading intensity, which is measured by the volume ratio of the NPS, increases, the market impact cost rises regardless of whether it is buy-trade or sell-trade. While the distribution of the trading volume ratio between buying (B Ratio) and selling (S Ratio) does not appear to have much difference, the market impact cost of sells shows a relatively large dispersion compared to the market impact cost of buys. This result suggests that reducing the trading volume ratio of the NPS for individual stocks can be one candidate measure to reduce the market impact cost. For example, the NPS can break the orders up into successive trades that may run over several days.



Note(s): This figure shows the relationship between the trading intensity of the NPS and the market impact cost from January 2010 to December 2018. BMIC is the market impact cost from buys of the NPS, and SMIC is the market impact cost from sells of the NPS. The proportion of the NPS's transaction amount in the total transaction amount of the stock are B Ratio (the ratio of buy volume) and S Ratio (the ratio of sell volume), respectively

Figure 2. Trading intensity and market impact cost

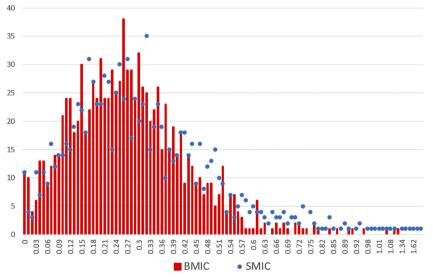
IDQS

Figure 3 shows the frequency according to the magnitude of the absolute value of the market impact cost of buys (bar graph) and sells (dot graph). For example, the number of stocks with the market impact cost of 30 basis points is 32 stocks in the case of buying and 20 stocks in the case of selling. However, the number of stocks that causes the market impact cost of 50 basis points is 5 stocks in the case of buying, whereas 15 stocks in the case of selling. As the market impact cost increases, in particular, when the market impact cost exceeds a certain level, the number of stocks sold is relatively higher than that of stocks bought.

4.2 Comparison of market impact costs

Woo and Kim (2018, 2019) show that the NPS follows a contrarian strategy, and they explain that the NPS plays the role of the market stabilizer based on this strategy. Table 2 shows the result of a regression analysis on how the market impact cost of the NPS is affected by firm characteristics. After controlling for all variables, the market impact cost of buys increases statistically significantly as the CAR increases from -3 to -1, from -5 to -1 and from -10 to -1. On the other hand, as the CAR increases from -30 to -1, the market impact cost of buys decreases statistically significantly. The market impact cost of sells increases consistently with the increase of the past CAR. However, as the CAR calculation period increases, the sensitivity to market impact costs gradually decreases.

Table 3 shows the results of regression analysis after controlling for various variables to see if there is a difference in the market impact cost of the NPS between buys and sells. Panel A shows the result of regression on the net market impact cost (NET MIC), which is the sum of the market impact cost of buys and sells. As independent variables, we use a dummy variable of buys that takes a value of one if there is a market impact cost of buys, and a dummy variable of sells takes a value of one if there is a market impact cost of sells. The dummy variable of buys has a positive effect on the market impact cost, and the dummy variable of sells has a negative



Note(s): This figure shows the frequency according to the magnitude of the absolute value of the market impact cost of buys (bar graph) and sells (dot graph) from January 2010 to December 2018. BMIC is the market impact cost from buys of the NPS, and SMIC is the market impact cost from sells of the NPS

Figure 3. Frequency of market impact cost of buys and sells by magnitude

Market impact cost asymmetry of the NPS

JDQS
30,3

JDQS 30,3		[<i>t</i> -3, <i>t</i> -1] Coeff.	[<i>t</i> -5, <i>t</i> -1] Coeff.	$\begin{bmatrix} t-10, t-1 \end{bmatrix}$ Coeff.	[<i>t</i> -20, <i>t</i> -1] Coeff.	[<i>t</i> -30, <i>t</i> -1] Coeff.
	Nobs	<i>t</i> -value	<i>t</i> -value	<i>t</i> -value	<i>t</i> -value	<i>t</i> -value
	BMIC					
	$CAR[t-\tau, t-1]$	0.2897^{**} 5.07	0.1791^{**} 2.99	0.0563 ^{**} 5.96	$-0.0058 \\ -0.89$	-0.0001^{**} -3.85
182	Volatility	1.5487^{**} 3.97	1.5383^{**} 3.74	1.5284^{**} 3.50	1.5325 ^{**} 3.58	-3.83 1.5302^{**} 3.54
	Spread	19.9477 ^{**} 6.34	19.9363** 6.29	19.9243** 6.23	19.9039** 6.15	19.9056 ^{**} 6.16
	Turnover	-2.9400^{**}	-2.9328^{**}	-2.9003^{**}	-2.8648^{**}	-2.8696^{**}
	Amihud	$-3.67 \\ -0.0046^{**} \\ -4.97$	-3.57 -0.0046^{**} -4.89	-3.17 -0.0047^{**} -5.00	-3.73 -0.0049^{**} -5.20	-3.87 -0.0048^{**} -5.16
	ShortRate	-4.97 -0.0096 -0.63	-4.89 -0.0094 -0.62	-0.0115 -0.75	-3.20 -0.0160 -1.05	-0.0152 -0.99
	Return	0.8065^{**}	0.8122^{**}	0.8093***	0.8074^{**}	0.8080^{**}
	ShortAmt	$3.88 \\ 0.0159^{**} \\ 7.96$	$3.09 \\ 0.0160^{**} \\ 8.14$	3.97 0.0162 ^{**} 8.54	3.89 0.0164 ^{***} 8.85	3.92 0.0164 ^{**} 8.80
	Price	-0.0420^{**} -6.55	-0.0420^{**} -6.59	-0.0420^{**} -6.48	-0.0419^{**} -6.25	-0.0419^{**} -6.30
	TrdAmt	0.1179 ^{**} 8.36	0.1178 ^{**} 8.28	0.1177** 8.22	0.1178 ^{**} 8.26	0.1179 ^{**} 8.29
	MktCap	-0.0015 -1.16	-0.0015 -1.18	-0.0017 -1.32	-0.0019 -1.49	-0.0019 -1.47
	Buy ratio	-1.10 2.8429** 5.51	-1.18 2.8431^{**} 5.38	-1.32 2.8472 ^{**} 5.68	-1.49 2.8513 ^{**} 6.10	-1.47 2.8506 ^{**} 6.53
	Adj R-sq	0.3381	0.3380	0.3375	0.3374	0.3375
	SMIC CAR[$t-\tau, t-1$]	1.0535 ^{**} 5.25	0.7435**	0.4494^{**} 3.25	0.2727**	0.0001^{*}
	Volatility	-3.4284** -4.75	$4.77 \\ -3.4628^{**} \\ -4.19$	-3.5153** -4.82	$2.60 \\ -3.5423^{**} \\ -4.12$	2.33 -3.4877** -4.41
	Spread	-4.73 -30.2855^{**} -5.30	-30.3100^{**} -5.34	-4.82 -30.2907** -5.28	-30.3485^{**} -5.36	-30.4508^{**} -5.49
	Turnover	2.1629** 4.08	2.1565** 4.04	2.1760** 4.16	2.1721** 4.12	2.4165** 5.72
	Amihud	-0.0090** -5.35	-0.0087^{**} -5.13	-0.0085^{**} -5.02	-0.0085^{**} -5.01	-0.0096^{**} -5.69
	ShortRate	0.0223 0.81	0.0261 0.94	0.0318 1.15	0.0361 1.30	-0.0013 -0.05
	Return	3.3097** 6.78	3.3327** 7.25	3.3268** 7.10	3.3288** 7.11	3.3109** 6.65
	ShortAmt	-0.0262** -5.50	-0.0261^{**} -5.34	-0.0257^{**} -4.99	-0.0255^{**} -4.80	-0.0244^{**} -3.72
Table 2. Market impact cost by	Price	0.0727** 5.91	0.0725** 5.71	0.0723** 5.52	0.0721** 5.29	0.0734** 5.36
past returns						(continued)

Nobs	[<i>t</i> -3, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -5, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -10, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -20, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -30, <i>t</i> -1] Coeff. <i>t</i> -value	Market impact cost asymmetry of
TrdAmt	-0.1804^{**} -7.54	-0.1806^{**} -7.63	-0.1812^{**} -7.83	-0.1817^{**} -7.04	-0.1823^{**} -7.17	the NPS
MktCap	-7.54 -0.0138^{**} -5.85	-7.03 -0.0137** -5.83	-7.85 -0.0137^{**} -5.82	-7.04 -0.0136^{**} -5.76	-7.17 -0.0148^{**} -6.29	183
Sell ratio	-4.7766^{**} -6.15	-4.7746^{**} -6.95		-4.7824^{**} -6.15	-4.8094^{**} -6.85	100
Adj R-sq	0.3301	0.3300	0.3294	0.3289	0.3272	

Note(s): This table reports the estimates and *t*-value from the regression in Equation (1) where the dependent variable is MIC defined as the Market Impact Cost of the NPS

 $\text{MIC}_{i,t} = \alpha_0 + \beta_1 * \text{CAR}_{i,t-\tau,t-1} + \sum_{n=1}^{m} \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t} (1)$

The main independent variable is CAR estimated using the KOSPI returns. Intraday volatility, spread, turnover ratio, Amihud measure, short selling ratio, daily rate of return, short selling amount, stock price, trading amount and market capitalization on the day, trading ratio are used as control variables. The intraday volatility is the difference between the intraday high and low prices divided by the average of the two values. The spread is the average value of the intraday spread, which is calculated by dividing the difference between the best bid quote and the best ask quote by the average of the two values. The turnover ratio is the daily trading volume divided by the number of outstandings. The Amihud measure is the absolute value of the daily return to trading amount ratio. The short selling ratio represents the proportion of the short selling volume to the trading volume of the day. The trading ratio is the proportion of the NPS's transaction amount in the total transaction amount of the stock. The short selling amount is the natural logarithm of the short selling amount on the day. Stock prices, transaction amount and market capitalization are natural logarithms. The sample period runs from January 2010 to December 2018. * and ** indicate statistically significant levels at the 5% and 1% levels, respectively

Table 2.

effect on the market impact cost. In particular, when both dummy variables of buys and sells are used, the effect of the market impact cost from selling is higher than that of the market impact cost from buying. Panel B shows the results of the regression analysis in which all variables including the past CAR are additionally used as control variables. Even considering the investment strategy according to the NPS's past CAR, the effect of the market impact from selling is consistently greater than the effect of the market impact from buying.

Panel C and Panel D show the results of regression analysis using the absolute values of the market impact cost (ABS MIC) by the NPS as a dependent variable. The market impact cost from buying shows a negative influence, while the market impact cost from selling shows a positive effect. In particular, in the case of a regression analysis using both dummy variables, the effect of the market impact cost from selling is higher than the effect of the market impact cost from buying. The regression analysis, which uses the characteristics of stocks and the influence of the NPS on the stocks as control variables, also consistently shows that the effect of the market impact cost from selling is greater than the effect of the market impact cost from buying.

4.3 Comparison of market impact cost considering specific characteristics: CAR, liquidity, volatility, trading intensity

This section shows the results of a regression analysis of whether there is a difference in the market impact cost of the NPS between buys and sells, divided into several groups based on specific variables, such as past CAR, liquidity, volatility and trading intensity. We run a regression analysis using Equations (5)–(9) for groups belonging to the low group (lowest 20% group), middle group (middle 20% group) and high group (highest 20% group). For the sake of brevity, the regression coefficients and *t*-values for specific variables are reported.

IDQS 30,3	Panel A: NET MIC		Coeff.	Coeff.		Coeff.
50,5			<i>t</i> -value	t-value		<i>t</i> -value
	Dummy [BMIC]		0.3437**			0.3528*
	Dummy [SMIC]		4.80	-0.4221	**	$4.16 \\ -0.4283^*$
184	Adj <i>R</i> -sq		0.0073	-5.11 0.0132		-5.12 0.0209
	Panel B: NET MIC					
		[<i>t</i> -3, <i>t</i> -1] Coeff. <i>t</i> -value	$\begin{bmatrix} t-5, t-1 \end{bmatrix}$ Coeff. t-value	[t-10, t-1] Coeff. t-value	[<i>t</i> -20, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -30, <i>t</i> -1] Coeff. <i>t</i> -value
	Dummy [BMIC]	0.1090**	0.1102**	0.1101**	0.1101**	0.1108**
	Dummy [SMIC]	$4.24 \\ -0.1710^{**}$	$4.40 \\ -0.1718^{**}$	$4.38 \\ -0.1730^{**}$	$4.37 \\ -0.1742^{**}$	$4.44 \\ -0.1754^{**}$
	$CAR[t-\tau,_t-1]$	-4.64 1.3271^{**}	$-4.75 \\ 0.9108^{**}$	$-4.90 \\ 0.5001^{**}$	-5.05 0.2628^{**}	-5.20 0.0000
	Volatility	3.08 -1.9642** 2.57	3.57 -2.0084 ^{**}	2.87 -2.0701** 2.77	$3.44 \\ -2.0927^{**} \\ 4.00$	0.67 -2.0428^{**}
	Spread	-3.57 -10.0635^{**}	$-3.08 \\ -10.1010^{**}$	-3.77 -10.0945^{**}	$-4.00 \\ -10.1728^{**}$	-3.42 -10.2638^{**}
	Turnover	$-7.55 \\ -0.7608^{**} \\ -4.57$	$-7.61 \\ -0.7594^{**} \\ -4.56$	$-7.59 \\ -0.7088^{**} \\ -4.25$	$-7.71 \\ -0.6767^{**} \\ -4.05$	-17.85 -0.4409^{**} -2.64
	Amihud	-0.0174^{**} -9.49	-0.0170^{**} -9.25	-0.0169^{**} -9.20	-0.0171** -9.29	-0.0183** -9.94
	ShortRate	0.1006** 3.35	0.1045 ^{**} 3.48	0.1078 ^{**} 3.59	0.1071** 3.56	-5.54 0.0714 [*] 2.37
	Return	4.0980 ^{***} 7.21	4.1268 ^{**} 7.73	4.1156 ^{**} 7.44	4.1127 ^{**} 7.32	4.0886** 7.80
	ShortAmt	-0.0106^{**} -9.52	-0.0104^{**} -9.28	-0.0098** -8.75	-0.0094^{**} -8.42	-0.0084^{**} -7.48
	Price	0.0224	0.0221**	0.0220**	0.0219^{**}	0.0231**
	TrdAmt	$6.74 \\ -0.0146^{**}$	$6.55 \\ -0.0150^{**}$	$6.43 \\ -0.0156^{**}$	$6.34 \\ -0.0160^{**}$	7.22 -0.0158**
	MktCap	-5.57 -0.0279^{**}	-5.71 -0.0278^{**}	-5.94 -0.0280^{**}	-6.10 -0.0281^{**}	-6.00 -0.0295^{**}
	Net ratio	-5.91 3.7906^{**}	-5.89 3.7880^{**}	-5.94 3.7946^{**}	-5.98 3.8037^{**}	-5.53 3.8287**
	Adj R-sq	5.95 0.3212	5.51 0.3209	5.63 0.3196	6.15 0.3186	8.61 0.3172
	Panel C: ABS MIC		Coeff.	Coe	ff.	Coeff.
			<i>t</i> -value	t-val		<i>t</i> -value
	Dummy [BMIC]		-0.0810^{**} -4.56			0.3592 ^{**} 6.37
	Dummy [SMIC]		-4.50	0.117 6.96	2^{**}	0.4609** 7.95
	Adj <i>R</i> -sq		0.0050	0.010	4	0.0188
	Panel D ABS MIC	[<i>t</i> -3, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -5, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -10, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -20, <i>t</i> -1] Coeff. <i>t</i> -value	[<i>t</i> -30, <i>t</i> -1 Coeff. <i>t</i> -value
Cable 3. Comparison of market	Dummy [BMIC]	-0.0853** -5.10	-0.0853** -5.10	-0.0853** -5.10	-0.0853** -5.10	-0.0853** -5.05
mpact cost between ouys and sells						(continued)

Panel D ABS MIC						Market impact
	[t-3, t-1]	[t-5, t-1]	[t-10, t-1]	[t-20, t-1]	[t-30, t-1]	cost
	Coeff. t-value	Coeff. t-value	Coeff. <i>t</i> -value	Coeff. <i>t</i> -value	Coeff. t-value	asymmetry of
						the NPS
$CAR[t-\tau,_t-1]$	-0.6544***	-0.4925^{**}	-0.3493^{**}	-0.2392^{**}	-0.0001^{**}	
Volatility	-2.86 2.4858***	-2.77 2.5058^{**}	-3.83 2.5435**	-3.56 2.5699^{**}	-4.29 2.5233^{**}	10-
·	4.76	4.15	4.86	4.34	4.43	185
Spread	24.8161** 7.82	24.8270**	24.7964 ^{***}	24.8306 ^{**}	24.9102***	
Furnover	7.83 -2.5006**	7.87 -2.4859^{**}	$7.79 \\ -2.4710^{**}$	$7.89 \\ -2.4436^{**}$	$7.04 \\ -2.6579^{**}$	
	-4.57	-4.42	-4.27	-3.99	-4.13	
Amihud	0.0046**	0.0043**	0.0041**	0.0039**	0.0051**	
ShortRate	$4.10 \\ -0.2190^{**}$	$3.85 \\ -0.2223^{**}$	$3.62 \\ -0.2296^{**}$	$3.51 \\ -0.2368^{**}$	$4.51 \\ -0.2061^{**}$	
shortatte	-5.95	-6.13	-6.52	-6.91	-6.24	
Return	-2.0345^{**}	-2.0497^{**}	-2.0472^{**}	-2.0509^{**}	-2.0370^{**}	
71 . 4 .	-6.90	-6.38	-6.31	-6.42	-6.92	
ShortAmt	0.0227**	0.0226***	0.0225***	0.0225**	0.0215**	
Price	$3.22 \\ -0.0485^{**}$	$3.17 \\ -0.0483^{**}$	$3.05 \\ -0.0481^{**}$	$3.00 \\ -0.0477^{**}$	$3.58 \\ -0.0487^{**}$	
The	-5.16	-5.97	-5.68	-5.26	-5.41	
TrdAmt	0.0962**	0.0965**	0.0968**	0.0971**	0.0965**	
	5.74	5.88	5.08	5.28	5.84	
MktCap	0.0169**	0.0168**	0.0166**	0.0164**	0.0178**	
Buy ratio	$5.80 \\ 1.4160^{**}$	5.72 1.4193^{**}	5.62 1.4205 ^{***}	5.48 1.4197 ^{**}	$6.36 \\ 1.3982^{**}$	
Buy fatto	8.48	8.72	8.82	8.77	7.04	
Adj <i>R</i> -sq	0.1053	0.1055	0.1056	0.1056	0.1036	
	Coeff.	Coeff.	Coeff.	Coeff.	Coeff.	
ABS MIC	<i>t</i> -value	<i>t</i> -value	<i>t</i> -value	<i>t</i> -value	<i>t</i> -value	
Dummy [SMIC]	0.1069**	0.1070***	0.1070**	0.1070^{**}	0.1070***	
building [build]	6.89	6.89	6.90	6.91	6.91	
$CAR[t-\tau,t-1]$	-0.2293^{**}	-0.1595^{**}	-0.1110^{**}	-0.0823^{**}	-0.0001^{**}	
	-5.28	-4.97	-5.13	-5.88	-3.85	
Volatility	2.5940**	2.6015 ^{***}	2.6136**	2.6232**	2.6058 ^{**}	
Spread	5.50 24.7306 ^{***}	5.66 24.7364 ^{***}	5.89 24.7271**	5.06 24.7357 ^{**}	5.74 24.7664 ^{***}	
preud	7.05	7.07	7.04	7.07	7.15	
Turnover	-2.5766^{**}	-2.5760^{**}	-2.5724^{**}	-2.5580^{**}	-2.6314^{**}	
A 1 1	-6.19	-6.18	-6.14	-5.98	-6.79	
Amihud	0.0064 ^{***} 5.92	0.0063 ^{**} 5.84	0.0063 ^{**} 5.77	0.0062 ^{**} 5.71	0.0065 ^{**} 6.05	
ShortRate	-0.0252	-0.0260	-0.0283	-0.0314	-0.0200	
	-1.42	-1.46	-1.59	-1.77	-1.13	
Return	-0.8465^{**}	-0.8515^{**}	-0.8507^{**}	-0.8522^{**}	-0.8466^{**}	
	-7.87	-8.02	-8.00	-8.05	-7.87	
ShortAmt	0.0211 ^{***} 3.06	0.0211^{**} 3.01	0.0211 ^{**} 3.97	0.0211^{**} 3.99	0.0207 ^{**} 3.48	
Price	-0.0503^{**}	-0.0502^{**}	-0.0501^{**}	-0.0500^{**}	-0.0504^{**}	
	-6.58	-6.51	-6.39	-620	-6.74	
TrdAmt	0.1095**	0.1096**	0.1097**	0.1098**	0.1100**	
MitCan	6.71	6.75 0.0170**	6.81 0.0178**	6.89 0.0177**	7.01	
ViktCap	0.0179 ^{**} 5.85	0.0179 ^{**} 5.84	0.0178 ^{**} 5.82	0.0177 ^{**} 5.75	0.0181^{**} 6.00	
	0.00	0.01	0.02	0.10	0.00	
					(continued)	Table 3.

JDQS 30,3

186

Coeff. Coeff. Coeff. Coeff. Coeff. ABS MIC t-value t-value t-value t-value t-value Sell ratio 2.4023** 24020^{**} 24014** 2.4013** 2.4092^{*} 5.72 5.63 5.53 5.57 6.66 0.1645 0.1645 0.1645 0.1645 0.1643 Adj R-sq Coeff. Coeff. Coeff. Coeff. Coeff. ABS MIC t-value t-value t-value t-value t-value Dummy [BMIC] 0.3215^{**} 0.3217^{**} 0.3218** 0.3221** 0.3227^{*} 5.59 5.62 5.64 5.69 5.77 0.4251** 0.4252^* 0.4253^{*} 0.4257* 0.4263^{*} Dummy [SMIC] 7.76 7.79 7.81 7.87 7.94 -0.3842** -0.2008** -0.2797^{**} -0.1416** -0.0001** $CAR[t-\tau, t-1]$ -6.51 -6.76-7.56-7.94-4.512.6144** 2.6234** Volatility 2.6023^{*} 2.6359 2.6518 4.63 4.87 4.27 4.55 4.02 24.5982** Spread 24.5902** 24.5801** 24.5986** 24.6473** 6.72 6.74 6.69 6.75 6.86 -2.5279^{**} -2.5226** -2.5129** -2.4933** -2.6198** Turnover -4.67 -4.62 -4.31 -4.52-5.60 0.0094^{**} 0.0093** 0.0091^{**} 0.0091** 0.0097** Amihud 8.37 8.24 8.10 8.02 8.60 -0.1922^{**} -0.1939** -0.1983** ShortRate -0.2029** -0.1836^{*} -10.41-10.50-10.74-10.98-9.95 -1.3124^{**} -1.3215^{*} -1.3206* -1.3227^* -1.3096^{**} Return -4.24-4.52-4.50-4.56-4.14 0.0217^{**} 0.0211^{**} 0.0218** 0.0217** 0.0217** ShortAmt 3.67 3.61 3.56 3.56 3.71 -0.0411** -0.0410^{**} -0.0406** -0.0412^{**} -0.0408^{**} Price -4.92-4.80-4.62-4.36-5.110.0537** 0.0538** 0.0540** 0.0542** 0.0541** TrdAmt 3.26 3.32 3.42 3.55 3.50 0.0309** 0.0310** 0.0308** 0.0307** 0.0314** MktCap 9.69 9.66 9.60 9.50 9,99 -0.4482^{*} -0.4594^{**} Net ratio -0.4468° -0.4456^{*} -0.4459^* -5.64-5.44 -5.29-5.34-5.080.0935 Adj R-sq 0.0934 0.0934 0.0935 0.0928

Note(s): This table reports the estimates and *t*-value from the regression in Equations (2)–(4) where the dependent variable is MIC defined as the Market Impact Cost of the NPS $MIC_{i,t} = \alpha_0 + \beta_0 * D(Buy)_{i,t} + \beta_1 * CAR_{i,t-\tau,t-1} + \sum_{m=2}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$ (2) $MIC_{i,t} = \alpha_0 + \beta_0 * D(Sell)_{i,t} + \beta_1 * CAR_{i,t-\tau,t-1} + \sum_{m=2}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$ (3) $MIC_{i,t} = \alpha_0 + \beta_0 * D(Buy)_{i,t} + \beta_1 * CAR_{i,t-\tau,t-1} + \sum_{m=2}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$ (4) The main independent variable is CAR estimated using the KOSPI returns. A dummy variable is added for the market impact cost of buys in Equation (2); and a dummy variable is added for the market impact cost of sells in Equation (3); and dummy variables are added for the market impact cost of buys and sells. We also adopt a model using the net market impact cost (NET MIC), which is the sum of the market impact cost of buys and sells. We also adopt a model using the net wariable, and a model using the market impact cost as a dependent variable by changing it to an absolute value (ABS MIC). Intraday volatility, spread, turnover ratio, Amihud measure, short selling ratio, daily rate of return, short selling amount, stock price, trading amount and market capitalization on the day, trading ratio are used as control variables. The sample period runs from January 2010 to December 2018. * and ** indicate statistically significant levels at the 5% and 1% levels, respectively

Table 3.

Panel A of Table 4 uses the net market impact cost of the NPS as a dependent variable and presents the results of regression analysis for the 20% group with the lowest CAR (Low), the middle 20% group (Middle) and the 20% group with the highest CAR (High), divided into 5 groups based on the short-term return of CAR(-3,-1) and the medium-term return of CAR(-3,-1). Using both buy and sell dummy variables, the influence of market impact cost from selling

	Coeff. 4value 6.3404 th 5.81 -0.4031 th 5.81 -0.4031 th -0.4031 th -0.341 fvalue 0.3227 th 5.50 -6.31	Coeff. 4value 0.3870** 0.3870** 0.3870** 0.3740** 0.3740** 0.3740** 0.3740** 5.13 0.4215* 5.13 pact Cost of	arket impact schue sulue solute value alysis using ty volatility, 1 on the day, 5% and 1%	Market impact cost asymmetry of the NPS
High	Coeff <i>t</i> -value -0.3880*** -6.96 Coeff <i>t</i> -value 5.67	Coeff. 4-value 0.0418*** 4.47 Coeff. 4.47 Coeff. 4.89 0.0638*** 4.89 s the Market Im	(Buy)), or the ma ET MIC), which is unging it to an ab a group). Intrada ket capitalization cant levels at the	the NPS
	Coeff. <i>t</i> -value 0.3305 ^{***} 5.86 5.86 5.86 Coeff. <i>t</i> -value 0.3087 ^{***} 4.65	Coeff. <i>t</i> -value -0.0008 -0.25 -0.25 Coeff. <i>t</i> -value -0.0282*** -3.91 s MIC defined a	act cost of buys (I et impact cost (N tr variable by cha the past and run ums (highest 20' amount and mar' atistically signifi	
	Coeff <i>t</i> -value 0.3172*** 4.20 -0.4159** -5.96 -0.4159** <i>t</i> -value <i>t</i> -0.4148***	Coeff. 4-value 4.32 0.3437*** 4.32 0.3453** 5.36 5.36 6.41 6.41 6.41 6.41 5.41 0.4489*** 6.41	r the market impa sing the net mark ost as a depender sertan a depender rertain period in up), and high ret ck price, trading and ** indicate st	
Middle	Coeff. <i>t</i> -value <i>t</i> -5.63 Coeff. <i>t</i> -value <i>t</i> -value -0.4093**	Coeff. \hbar -value 0.1168^{**} 5.08 5.08 \hbar -value \hbar -value 0.1062^{**} 5.45 5.45 (2) where the der	2) riable is added for adopt a model u market impact or al returns for a c dinidda 20% gro lling amourt, sto December 2018.*	
	Coeff. <i>t</i> -value 0.3113** 4.75 4.75 Coeff. <i>t</i> -value 0.3622** 4.98	Coeff. <i>t</i> -value 0.0810** -4.52 Coeff. <i>t</i> -value 0.0686*** -4.34 sion in Equation	ariables; $n + \varepsilon_{i,t}$ (ariables; $n + \varepsilon_{i,t}$ (ms. A dummy va (b. D(Sell)). We also (b. D(Sell)). We also model using the mulative abnorm mulative abnorm of mulative abnorm of ireturn, short se (January 2010 to)	
	Coeff. <i>f</i> -value 0.3195** 0.3195** 0.3150** -0.5340** -0.5340** -0.5340** 0.3150** 0.3150** 5.23	Coeff. <i>f</i> -value 0.3391** 0.3611** 0.5611** 5.14 Coeff. <i>f</i> -value 0.3424** 0.3424** 0.3424** 0.3424** 0.3424** 0.5277**	${}^{m}_{i=0} \beta_{i,n} * ControlV$ g the KOSPI retu g the KOSPI retu and sells (D(Buy and sells (D(Buy and sells (D(Buy and sells (D(Buy based on the cu based on the cu based on the cu based on the cu based on the cu tratio, daily rate (period runs from	
Low	Coeff. <i>t</i> -value -0.5297** -4.09 Coeff. <i>t</i> -value -5.46 -5.46	Coeff. <i>t</i> -value 5.96 Coeff. <i>t</i> -value 0.1984 ^{***} 4.05 mates and <i>t</i> -value	$\sum AR_{i,t-\tau,t-1} + \sum_{j=1}^{n} R$ estimated usin pact cost of buys ells, as a depende ble into quintles the low returns (I ure, short selling bles. The sample	
	Coeff <i>F</i> value 0.3127*** 4.61 Coeff. <i>f</i> value 0.3086***	Coeff. <i>t</i> -value <i>t</i> -value -0.2019*** -4.46 Coeff. <i>t</i> -value -0.1644*** -3.87 -3.87	$((Buy))_{i,i} + \beta_1 * C$ and variable is CA or the market im ost of buys and s of thous and of buys and sand of how and of how and of the our sand of the ou	
	Panel A: NET MIC CAR [t-3, t-1] Dummy BMIC] Dummy [SMIC] CAR [t-30, t-1] Dummy [SMIC] Dummy [SMIC] Dummy [SMIC]	Panel B: ABS MICPanel B: ABS MICCoeff. </td <td>the NPS $MC_{i,i} = \alpha_0 + \beta_0 * D(Buy)_{i,i} + \beta_1 * CAR_{i,i-r,i-1} + \sum_{m=0}^m \beta_{i,m}^m * ControlVariables_{i,n} + \varepsilon_{i,i}$ (2) $MC_{i,i} = \alpha_0 + \beta_0 * D(Buy)_{i,i} + \beta_1 * CAR_{i,i-r,i-1} + \sum_{m=0}^m \beta_{i,m}^m * ControlVariables_{i,n} + \varepsilon_{i,i}$ (2) The main independent variable is CAR estimated using the KOSPI returns. A dummy variable is added for the market impact cost of buys (D(Buy)), or the market impact cost of buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost of sells (D(Sell)), or the market impact cost of buys addopt a model using the net market impact cost of buys and sells as a dependent variable, and a model using the market impact cost as a dependent variable by changing it to an absolute value (ABS MIC). We also adopt a model using the market impact cost of buys and sells, as a dependent variable, and a model using the market impact cost as a dependent variable by changing it to an absolute value (ABS MIC). We also adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys and not the market impact cost of buys and not be adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact at the set of the market impact adopt a model using the market impact adopt addited a</td> <td>Table 4. Comparison of market impact cost between buys and sells: by CAR</td>	the NPS $MC_{i,i} = \alpha_0 + \beta_0 * D(Buy)_{i,i} + \beta_1 * CAR_{i,i-r,i-1} + \sum_{m=0}^m \beta_{i,m}^m * ControlVariables_{i,n} + \varepsilon_{i,i}$ (2) $MC_{i,i} = \alpha_0 + \beta_0 * D(Buy)_{i,i} + \beta_1 * CAR_{i,i-r,i-1} + \sum_{m=0}^m \beta_{i,m}^m * ControlVariables_{i,n} + \varepsilon_{i,i}$ (2) The main independent variable is CAR estimated using the KOSPI returns. A dummy variable is added for the market impact cost of buys (D(Buy)), or the market impact cost of buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost of sells (D(Sell)), or the market impact cost of buys addopt a model using the net market impact cost of buys and sells as a dependent variable, and a model using the market impact cost as a dependent variable by changing it to an absolute value (ABS MIC). We also adopt a model using the market impact cost of buys and sells, as a dependent variable, and a model using the market impact cost as a dependent variable by changing it to an absolute value (ABS MIC). We also adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys and not the market impact cost of buys and not be adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact cost of buys adopt a model using the market impact at the set of the market impact adopt a model using the market impact adopt addited a	Table 4. Comparison of market impact cost between buys and sells: by CAR

is relatively larger than that of market impact cost from buying. Consistent results are shown in all five groups based on short-term and medium-term returns. In particular, the lower CAR, the higher the absolute value of the market impact cost from selling. These results show that the selling influence of the NPS is greater in stocks with low past returns, that is, stocks whose stock price has fallen. Therefore, our findings suggest that the selling behavior of the NPS can act as bad news for market participants.

The result of panel B, which is a regression analysis on the absolute value of market impact cost as a dependent variable, also shows two features. First, the market impact cost of the NPS sells has a relatively greater influence than the market impact cost of buys. Second, the influence from selling by the NPS is greater when the past return is low. These results, like those of panel A, indicate that the selling by the NPS can act as bad news for the market. Since the NPS is planning a strategy to reduce the proportion of domestic stock investment in the future, an exit strategy could cause a bigger drop in the stock price than expected. For this reason, a strategy to reduce the market impact cost is necessary for the NPS.

Table 5 shows the result of regression analysis of a difference in the market impact cost of the NPS between buys and sells, divided into five groups based on liquidity. Panel A shows the results using the bid-ask spread for the 20% group with the lowest liquidity (Low), the middle 20% group (Middle) and the 20% group with the highest liquidity (High). As a result of the analysis, the market impact cost of by the NPS are large in stocks for the 20% group with the lowest liquidity. In addition, the market impact cost of the NPS from selling is relatively larger than that from buying in all groups. These results are consistently observed whether using the net market impact cost or the absolute value of the market impact cost.

Panel B shows the results using the Amihud measure for the 20% group with the highest illiquidity measure (Low), the middle 20% group (Middle) and the 20% group with the lowest illiquidity measure (High). Like using the spread, we find that the smaller the liquidity, the greater the market impact cost of the NPS. In addition, the market impact cost of the NPS from selling is relatively larger than that from buying. This result implies that the smaller the liquidity, the greater the impact on the stock due to the relatively higher market impact cost by the NPS.

Panel A of Table 6 is divided into 5 groups according to intraday volatility of stocks traded by the NPS and shows the results of regression analysis for the 20% group with the lowest volatility (Low), the middle 20% group (Middle) and the 20% group with the highest volatility (High). The greater the volatility, the higher the market impact cost of the NPS. In addition, the market impact cost from selling is larger than that from buying. These results are consistently shown in both cases using the net market impact cost and the absolute value of market impact cost.

Panel B presents the results of regression analysis for the lower, middle and upper groups, divided into five groups based on the buying amount of the NPS to the trading amount of the relevant stock on the day (Buy ratio). According to the results of regression analysis by dividing the NPS into five groups by the buy ratio, the market impact cost of the NPS continues to increase as the buy ratio increases. Interestingly, in a group with the highest buy ratio of the NPS, the market impact cost from buying is relatively higher than that from selling, which contrasts with the previous findings.

We find the negative sign of price impact cost asymmetry that the market impact cost from the NPS sells is generally higher than that from buys. However, the asymmetry can become positive under some conditions. Normally institutions buy stocks with positive information and sell stocks when they have negative information. New information about a stock gets impounded into the prices in the process of trades. Since the degree of the price impact is affected by the proportion of informed trading, the information content of the NPS trading increases in proportion to the trading intensity of the NPS. Therefore, the sign of the market impact cost asymmetry between the NPS buys versus sells is negative at the low level

IDQS

1	, * * * *	8 8 8 8 8	I defeater f	
	Coeff. 4-value 0.2793 2.30 2.303 0.2803 4.13 4.13 4.13 4.13 4.13 4.13 4.13 4.13 4.13 4.13 4.13 4.13 4.13 2.299 3998 3998 3098 3098 3098 3098 3098 3098 3098 3098 3008 3008 3008 3008 3008 	Coeff. F-value 0.2514*** 0.2518*** -0.2818*** -0.03 -6	asymmet	COS
High	Coeff. <i>t</i> -value -0.2743" -3.57 -3.57 t-value <i>t</i> -value 0.0494"	Coeff. <i>f</i> -value -0.2761** -5.36 Coeff. <i>f</i> -value 4.07 4.07	by dividing by dividing of buys and dependent v high group tselling ratio and ** indicat	18
		್ಷ ಲೈಂ ್ಟ ಲೈಂ	C defined as calculated the daily retun impact cost in semple in mging to the easure, shor variables. Fr variables. Fa	
	Coeff <i>i</i> -value 0.2720 ⁰ *** 0.2720 0.2720 2.94 <i>i</i> -value <i>i</i> -0.0295	Coeff <i>t</i> -value 0.2446 ^m 4.78 4.78 Coeff. <i>t</i> -value <i>t</i> -value 352	riable is MIG cead, which i the market st of buys ar lso divide o groups belo a control d as control t to Decemb	
	Coeff. t value 0.3005 0.3005 0.3005 0.3653 	Coeff. 4value 0.3831 5.16 6.72 -0.4741 -6.72 -6.72 0.474 0.3769 0.3769 3.15 0.4336 4.43	lependent va intraday spu is the absolu), or ls (D(Sell)), or et impact co is MIC). We a mis (5)-(6) for mis (5)-(6) for urnover ratio anuary 2010 anuary 2010	
Middle	Coeff. 4value -0.3615** -3.14 Coeff. 4value 0.0872**	Coeff. <i>i</i> -value -0.4654** -6.12 coeff. <i>k</i> -value .0.1329** 3.70) where the c a value of the und measure ct cost of sel n of the mark in g Equation ity, spread, t lay, trading runs from J	
Mic	Co F_{VV}^{VV} - 0.3 - 0.10 F_{VV}^{VV} F_{VV}^{VV}	Co 611 611 611 611 611 77 8371 8371	ations (5)–(6 $e_{i,t}$ (5) $+ e_{i,t}$ (6) is the average as. The Amilh narket impa- an absolut an absolut an analysis u raday volatil ifon on the c inple period	
	Coeff. <i>F</i> -value 0.2950*** 0.2950*** 2.71 2.71 <i>F</i> -value <i>f</i> -value <i>f</i> -value <i>i</i> -0.0555**	Coeff <i>F</i> -value 0.3803*** 4.36 4.36 <i>C</i> -off <i>F</i> -value 0.0946*** 335	Note(s): This table reports the estimates and <i>t</i> -value from the regression in Equations (5) the NPS MIC _{<i>i</i>} = $a_0 + \beta_0 * D(Buy)_{i,i} + \beta_1 * Spread_{i,i} + \sum_{m=1}^{m} \beta_{i,m} * ControlVariables_{i,m} + \varepsilon_{i,i}$ (6) MIC _{<i>i</i>} = $a_0 + \beta_0 * D(Buy)_{i,i} + \beta_1 * Amihud_{i,i} + \sum_{m=1}^{m} \beta_{i,m} * ControlVariables_{i,m} + \varepsilon_{i,i}$ (6) The main independent variable is the spread and Amihud measure. The spread is the aver between the best bid quote and the best ask quote by the average of the two values. The A A dummy variable is added for the market impact cost of buys (D(Buy)), or the market ir D(Sell)). We also adopt a model using the net market impact cost of buys (D(Buy)), or the market in model using the market impact cost of buys (D(Buy)), or the market ir D(Sell)). We also adopt a model using the net market impact cost of buys (D(Buy)), or the market ir D(Sell)). We also adopt a model using the net market impact cost of buys (D(Buy)), or the market ir potent, short selling amount, stock price, trading amount and run a regression analys group), middle group (middle 20% group) and low group (lowest 20% group). Intraday vo return, short selling amount, stock price, trading amount and market capitalization on the regression coefficients and <i>t</i> -values for specific variables are reported. The sample per significant levels at the 5% and 1% levels, respectively to be a ported. The sample perting a state the proted and the sample perting and the past is posed to be proted at the past and the past and the past and the past and the past state the past posed to the set the past and the past and the past and the past and the past past state past posed to the past and the past past and the past	
	Coeff. Avalue 0.4652 0.7140* 0.7140* 3.94 3.94 5.06ff. 7.06ff. 0.5070* 0.5070* 4.98	Coeff. F-value 0.4062** 0.4062** 0.4062** 0.4062** 0.4062** 0.4062** 0.4097** 5.80 0.5444**	om the regre $_{n}$ * Controlly $_{i,n}$ * Control diamasure $^{\prime}$ arease of t arease of t of buys (D(B) areast cost (NE past and rur past and rur of lowest 20% of lowest 20% les are repoi	
			nd <i>t</i> -value fr $t_i + \sum_{m=1}^{m} \beta_i$ $\beta_{i,i} + \sum_{m=1}^{m} \beta_i$ and Amihu and Amihu and a and a amihu and a and a amihu and and and a amihu and and and a amihu and and a amihu and and and a amihu and and and a amihu and and and and and and and and and and	
Low	Coeff. 7-value -0,7066** -3.05 -3.05 -3.05 Coeff. 7-value 1-value 0.2821** 5.81	Coeff. <i>f</i> -value -0.5024** -4.46 Coeff. <i>f</i> -value <i>f</i> -value <i>f</i> -value 0.1514**	estimates a estimates at $\beta_1 * \text{Spread}, \beta_1 * \text{Amiluu}$ is the spread the best ask the market the market using the ne t cost as a d t cost as a a $\gamma_0^{\%}$ group) at ock price, tr ock price, tr	
	Coeff. 4value 0.4523 2.81 2.81 Coeff. 4value 0.2153	Coeff. 4value 0.3944*** 3.14 3.14 Coeff. fvalue -0.1114**	Note(s): This table reports the estimates and <i>t</i> value fro the NPS MIC _{<i>i</i>,<i>i</i>} = $a_0 + \beta_0 * D(Buy)_{i,t} + \beta_1 * Spread_{i,t} + \sum_{m=1}^{m} \beta_{i,t}$ MIC _{<i>i</i>,<i>i</i>} = $a_0 + \beta_0 * D(Buy)_{i,t} + \beta_1 * Amilud_{i,t} + \sum_{m=1}^{m} \beta_{i,t}$ The main independent variable is the spread and Amihu between the best bid quote and the best ask quote by the. A dummy variable is added for the market impact cost o D(Sell)). We also adopt a model using the net market impact cost o D(Sell)). We also adopt a model using the net market impact model using the market impact cost as a dependent va- cumulative abnormal returns for a certain period in the <u>1</u> group), middle group (middle 20% group) and low group regression coefficients and <i>t</i> -values for specific variable significant levels at the 5% and 1% levels, respectively the posting a mount returns for a certain period in the <u>1</u> mathematical for the set of the set of the set of the <u>1</u> method and <u>1</u> weeks, respectively the posting a mount at the <u>1</u> weeks, respectively the posting a mount at the <u>1</u> weeks, respectively <u>1</u> method and <u>1</u> weeks, respectively <u>1</u> method and <u>1</u> weeks, respectively <u>1</u> method <u>1</u> weeks, respectively <u>1</u> method <u>1</u> weeks, respectively <u>1</u> method <u>1</u> we weeks, respectively <u>1</u> method <u>1</u> we week <u>1</u> we week <u>1</u> we week <u>1</u> we we were <u>1</u> we we	
			This table $\alpha_0 + \beta_0 * I$ $\alpha_0 + \beta_0 * I$ $\alpha_0 + \beta_0 * I$ independent the best bic $\alpha_0 + \beta_0 * I$ independent i	
	Panel A: Spread NET MIC Dummy Dummy SMIC Dummy SMIC Dummy SMIC Dummy SMIC Dummy SMIC	Panel B: Amiluad Net MIC Dummy BMICJ Dummy SMICJ ABS MIC Dummy BMICJ Dummy SMICJ SMICJ	Note(s): $MIC_{i,t} = 0$ $MIC_{i,t} =$	

JDQS 30,3		Coeff. <i>t</i> -value 0.3930 3.54 0.3930 3.54 0.5660 ** 4.03 4.03 4.03 4.03 4.03 4.03 4.03 4.03 3.668 ** 0.4045	Coeff. <i>t</i> -value 0.5561** 7.59 -0.2699** -5.58 Coeff. <i>t</i> -value 0.6071** 6.08 0.3251***	Coeff. <i>t</i> -value (<i>continued</i>)
190	High	Coeff. <i>t</i> -value -0.5631*** -3.86 Coeff. <i>t</i> -value 0.1797*** 3.02	Coeff. t-value -5.44 -5.44 Coeff. t-value -0.2556^{***}	Coeff. <i>t</i> -value
		Coeff. <i>t</i> -value 0.3867 ^{***} 3.23 3.23 5.23 3.23 -2.91 -2.91	Coeff. <i>i</i> -value 0.5462 ^{***} 7.33 7.33 Coeff. <i>i</i> -value 0.2968 ^{***} 8.05	Coeff. <i>t</i> -value
		Coeff. <i>t</i> -value 0.4002*** 0.4002*** 0.4158*** -5.59 -5.59 -5.59 -5.59 -5.59 -5.59 (0.4544** 0.4544**	Coeff. <i>t</i> -value <i>t</i> -value 0.2551 5.49 -0.4586 -3.54 -3.54 Coeff. <i>t</i> -value 0.3724 ^{***} 0.4807 ^{***} 3.61	Coeff. <i>t</i> -value
	Middle	Coeff. <i>t</i> -value -0.4096*** -5.08 Coeff. <i>t</i> -value 0.1076***	Coeff. t-value -0.4567^{***} -3.40 Coeff. t-value t-value t-value t-3.28	Coeff. <i>t</i> -value
		Coeff. <i>t</i> -value 0.3921*** 3.40 Coeff. <i>t</i> -value -0.0713*** -3.60	Coeff. <i>t</i> -value 0.2435*** 5.03 5.03 Coeff. <i>t</i> -value 3.36	Coeff. <i>t</i> -value
		Coeff. <i>i</i> -value 0.3016 3.60 -0.3376 ^{***} -0.3376 ^{***} -0.3376 ^{***} 0.3058 ^{***} 3.51 0.3808 ^{***} 3.20	Coeff. <i>t</i> -value 0.0212 0.0212 1.81 -0.5307 -3.74 Coeff. <i>t</i> -value 0.0927 1.84 0.5481	Coeff. <i>t-</i> value
	Low	Coeff. <i>t</i> -value -0.3290*** -5.86 -5.86 Coeff. <i>t</i> -value 0.0896*** 2.73	Coeff. t-value -0.5296^{***} -3.69 -3.69 -3.69 t-value t-value t-value t-566	Coeff. t-value
Table 6. Comparison of market		<i>tility</i> <i>c</i> oeff. <i>t</i> -value 0.2917*** 3.66 3.66 Coeff. <i>t</i> -value -2.55	ratio Coeff. f-value 0.0106 0.89 0.89 0.89 0.89 -0.4284 -1.27	atio Coeff. <i>t</i> -value
impact cost between buys and sells: by volatility and trading intensity		Panel A: Volatility Net MIC Dummy [BMIC] Dummy SMIC] ABS MIC Dummy [BMIC] Dummy [SMIC] Dummy (SMIC]	Panel B: Buy ratio Net MIC Dummy [BMIC] Dummy SMIC] ABS MIC ABS MIC Dummy [SMIC] [SMIC]	Panel C: Sell ratio Net MIC t

	0.2469** 5.28 -0.9022** -7.00 Coeff. <i>t</i> -value 0.3105** 3.14 0.8918** 4.01 mpact Cost of	des, and trading e market imbact cost asy and trading erod in the past trading amount fic variables are the NPS
High	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$ \begin{array}{llllllllllllllllllllllllllllllllllll$
	0.2447** 5.19 Coeff. <i>t</i> -value -0.5800** -3.20	ded by the averag A dummy variable Sell). We also ado odel using the ma e abnormal return niddle group (mic short selling amo coefficients and <i>t</i> s at the 5% and 1 s at the 5% and 1
	0.3606** 5.03 -0.3416* -6.12 Coeff. <i>t</i> -value 0.3732** 5.64 0.4082** 6.19 he dependent var	nd low prices divi zalue of the day. A l sells (D(Buy), D(G variable, and a mo (on the cumulativ, ext 20% group), n ily rate of retum, y, the regression / significant level / significant level
Middle	$\begin{array}{c} -0.3303^{**}\\ -5.64\\ -5.64\\ \text{Coeff.}\\ t-\text{value}\\ t-\text{value}\\ 6.65\\ \text{ms} (7)-(8) \text{ where } t \end{array}$	$e_{i,i}(7)$ $+ e_{i,i}(8)$ in intraday high ar in intraday high ar total transaction y to cost of buys and s, as a dependent to quintiles based iigh group (highe iigh group (high iigh group (high group (high iigh group (high group (high iigh group (high group
	0.3578*** 4.80 Coeff. <i>t</i> -value -5.29 ession in Equatio	tolVariables, $_{i,n}$ - htrolVariables, $_{i,n}$ - ntrolVariables, $_{i,n}$ - ntrolVariables, $_{i,n}$ - nt fifterence between of the market impace the market impace of buys and sells ideour sample in bud measure, sho hud measure, sho rol variables. For 2018. * and *** inc
	0.3719*** 3.56 -0.0269** -5.30 Coeff. <i>t</i> -value 0.3768** 0.3768** 3.63 alue from the regr	β_1 * Volatility _{i,i} + $\sum_{m=1}^m \beta_{i,m}$ * ControlVariables _{i,n} + $\varepsilon_{i,i}$ (6) β_1 * TradeRatio _{i,i} + $\sum_{m=1}^m \beta_{i,m}$ * ControlVariables _{i,n} + $\varepsilon_{i,i}$ (8) is intraday volatility, which is the difference between intrada proportion of the transaction value of the NPS to the total tra- thet impact cost of sells (D(Sell)), or the market impact cost of sells as a de- solute value (ABS MIC). We also divide our sample into quint using Equations (7)–(8) for groups belonging to the high gro- olatility, spread, turnover ratio, Amihud measure, short sellin- e day, trading ratio are used as control variables. For the salk in s from January 2010 to December 2018, * and ** indicate st
Low	-0.0207^{**} -4.03 Coeff. <i>t</i> -value -4.51 estimates and <i>t</i> -v	$\beta_1 * \text{Volatility}_{i,t} + \beta_1 * \text{TradeRatio}_{i,t}$ is intraday volati is intraday volati reportion of the n ket impact cost o s the sum of the m solute value (ABS sing Equations (latility, spread, tr day, trading rati ns from January 2
	Dummy 0.3701*** BMIC] 3.39 SMIC] 3.39 SMIC] 3.39 SMIC] Coeff. <i>t</i> -value bummy 0.3087*** Dummy 0.3087*** SMIC] 5.19 Dummy Note(s): This table reports the	Particle 1 Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition Definition
	Dummy [BMIC] Dummy [SMIC] ABS MIC ABS MIC Dummy [BMIC] Dummy [SMIC] Note(s): This	$\begin{array}{c} \text{MIC}_{i,i} = \alpha_0 + i \\ \text{MIC}_{i,i} = \alpha_0 + i \\ \text{The main inder} \\ intensity, which cost of buys (D impact cost of buys (D impact cost of N) variable by che and run a regraded and market cal reported. The second market cal reported. The second market cal reported. The second reported is the second reported of the second reported o$

of NPS's trading intensity of buys (Buy ratio) and reverses at the high level of NPS's trading intensity of buys.

Panel C presents the results of regression analysis for the lower, middle and upper groups, divided into five groups based on the selling amount of the NPS to the trading amount of the relevant stock on the day (Sell ratio). As the sell ratio increases, the market impact cost of the NPS from sells also increases, but the market impact cost of the NPS from buys decreases. Regardless of the sell ratio of the NPS, the market impact cost from sells is relatively higher than that of buys. The fact that the market impact cost is large in stocks with high volatility and a high proportion of the NPS trading suggests that careful and appropriate consideration is necessary for the NPS's order submission and trading strategy.

4.4 Comparison of market impact cost considering order submission strategy

The NPS has a structure in which trades executes according to the internal committee's decision-making and fund execution decisions. Depending on the size of the funds and market conditions, funds may be executed at one time or several times through split trading. In addition, institutional investors who receive the NPS's funds must follow the instructions of the NPS.

Since the actual state of fund execution by the NPS is unknown, we estimate the fund execution through the following process. First, when a buy (sell) order for the same stock is executed through consecutive business days, it is considered as one buy (sell) fund execution. Second, when a buy or sell order for a specific stock is executed with a lag of one day or more after the buy or sell order is executed for the same stock, it is considered as separate execution of funds.

As a result of estimating in this way, about 43% of trades executed by the NPS are made through one-day execution, and only 16% of the cases are split over 5 days or more. Figure 4 compares the market impact cost of buys and sells by order execution period and size. In the case of split execution over two days or more, the average market impact cost is calculated. In addition, since the execution of splits can be determined by the execution size, the sum of consecutive execution amounts is defined as the execution size. Based on the execution size, it is divided into five groups and the average market impact cost is calculated for each execution date. First, according to the figure, as the execution size increases, the market impact cost also increases consistently. Second, as the execution period increases. Third, the absolute value of the market impact cost from sells is consistently larger than that from buys.

Table 7 shows regression analysis of whether there is a difference in the market impact cost between buys and sells based on the execution period of the order. In both Panel A, which is analyzed separately by buying-order execution period, and Panel B, which is analyzed separately by selling-order execution period, the market impact cost from sells has a relatively greater influence than the market impact cost from buys regardless of the execution period. Even after controlling for the size of the order execution of the NPS and the diversification effect of order execution, the market impact cost from sells is still larger than that from buys. This result is attributable to the NPS's more aggressive order submission on sell orders, which implies that there is a difference between the buying side and the selling side in the NPS's order submission and trading strategies.

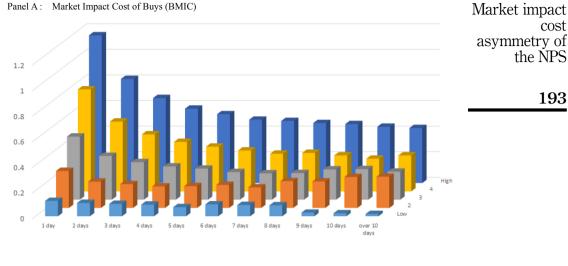
5. Conclusion and implications

As of the end of March 2021, the NPS has managed 872.5tn won (KRW), the 3rd largest fund in the world after Japan and Norway. Of this, 20.5%, or 178.7tn won, is being managed as domestic stocks, but as the size of the fund increases, overseas investment is continuously expanding to pursue long-term stable profits. While domestic stock management grew 74.5%

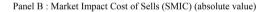
192

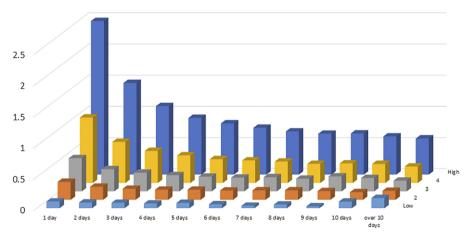
IDQS





■Low ■2 ■3 ■4 ■High





■ Low ■ 2 ■ 3 ■ 4 ■ High

Note(s): This figure shows the frequency according to the magnitude of the absolute value of the buying market impact cost buys (bar graph) and sells (dot graph) from January 2010 to December 2018. BMIC is the market impact cost from buys of the NPS, and SMIC is the market impact cost from sells of the NPS

from 102.4tn won in 2016 to 178.7tn won as of March 2021, overseas stocks grew by 150.6% from 85.7tn won in 2016 to 214.8tn won as of March 2021. This change in the asset allocation strategy is related to the NPS's exit strategy for domestic stocks. In the domestic stock

Figure 4. Market impact cost by order execution period and size

JDQS 30,3	Over 10 days Coeff. <i>t</i> -value	0.0437*** 4.21 0.0606** 5.34 0.1142** 3.01 -0.0661**	Parel B: AVG SMICDummy -0.0316^{**} -0.0186 -0.0220 -0.0418^{**} -0.0465 -0.0267 0.0023 -0.0360 BMIC -3.53 -1.52 -1.95 -2.16 -1.88 -1.12 -1.62 -0.46 -1.79 0.05 -1.83 Dummy -0.0381^{**} -0.0821^{**} -0.0107^{**} -0.0874^{**} -0.0677^{**} -0.046^{**} -1.79 0.05 -1.83 Dummy -0.0381^{**} -0.0821^{**} -0.0677^{**} -0.0874^{***} -0.1084^{***} -0.1068^{***} -0.1153^{***} SMIC -4.72 -6.05 -2.22 -3.36 -4.37 -2.28 -2.66 -2.95 -4.61 -2.29 -5.36 Sunt -4.72 -6.05 -2.222 -3.36 -4.37 -2.28 -2.66 -2.95 -4.61 -2.29 -5.36 Sunt -0.0164^{***} 0.0164^{***} 0.0458^{***} 0.1267^{***} 0.1498^{***} 0.1690^{***} 0.2053^{***} 0.214^{***} Amount 5.53 4.29 6.42 7.70 7.79 6.57 5.63 4.65 3.290 4.74 Amount -8.62 -6.299 -5.68 -0.2663^{***} -0.22653^{***} -0.3271^{***} -0.3501^{***} -0.3564^{***} Amount -8.62 -6.99 -5.68 -8.63 -6.52 -6.45 -2.99 -3.99 -3.76 Amount -8.62 -6.99 -5.68 -6.52 <th>$(+ \sum_{n=1}^{10} \gamma_t * \text{Trade}_t + \sum_{n=1}^{m} \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t}$ (9) be is the frequency and size of fund execution. The amount of fund execution is estimated by summing up the transaction values based on the A dummy variable is added for the market impact cost of Buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost 3 dummy variable is added for the market impact cost of buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost 3 dummy variable is added for the market impact cost of buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost 3 dummy variable is added for the market impact cost of buys (D(Buy)), and sells(SMIC). Intraday volatility, spread, turnover ratio, Amiltud daily rate of return, short selling amount, stock price, trading amount and market capitalization on the day, trading ratio are used as control wity, the regression coefficients and <i>t</i>-values for specific variables are reported. The sample period runs from January 2010 to December 2018. Significant levels at the 5% and 1% levels, respectively</th>	$(+ \sum_{n=1}^{10} \gamma_t * \text{Trade}_t + \sum_{n=1}^{m} \beta_{i,n} * \text{ControlVariables}_{i,n} + \varepsilon_{i,t}$ (9) be is the frequency and size of fund execution. The amount of fund execution is estimated by summing up the transaction values based on the A dummy variable is added for the market impact cost of Buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost 3 dummy variable is added for the market impact cost of buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost 3 dummy variable is added for the market impact cost of buys (D(Buy)), or the market impact cost of sells (D(Sell)), or the market impact cost 3 dummy variable is added for the market impact cost of buys (D(Buy)), and sells(SMIC). Intraday volatility, spread, turnover ratio, Amiltud daily rate of return, short selling amount, stock price, trading amount and market capitalization on the day, trading ratio are used as control wity, the regression coefficients and <i>t</i> -values for specific variables are reported. The sample period runs from January 2010 to December 2018. Significant levels at the 5% and 1% levels, respectively
194	10 days Coeff. <i>t</i> -value	0.0450 1.78 0.0769** 3.14 0.1357** 2.71 -0.0487** -3.10	0.0023 0.05 -0.1068* -2.29 0.2214** 3.20 -0.3634** -3.49 si the Market]	$MIC_{i,1} = \alpha_0 + \beta_0 * D(Buy)_{i,t} + \sum_{n=1}^{10} \gamma_i * Trade_t + \sum_{n=1}^{m} \beta_{i,n} * ControlVariables_{i,n} + \varepsilon_{i,t}$ (9) The main independent variable is the frequency and size of fund execution. The amount of fund execution is estimated by summing up the transaction values based on the continuity of trading details. A dummer variable is added for the market impact cost of Buys), or the market impact cost of sells (D(Sell)), or the market impact cost of buys (D(Buy), D(Sell)). We also adopt a model using the market impact cost of buys(BMIC) and sells(SMIC). Intraday volatility, spread, turnover ratio, Amiltud measure, short selling ratio, daily rate of return, short selling amount, stock price, trading amount and market capitalization on the day, trading ratio are used as control wariables. For the sake of brevity, the regression coefficients and <i>t</i> -values for specific variables are reported. The sample period runs from January 2010 to December 2018, and ^{**} indicate statistically significant levels at the 5% and 1% levels, respectively
	9 days Coeff. <i>t</i> -value	$\begin{array}{c} 0.0461*\\ 2.36\\ 0.0715**\\ 3.52\\ 0.1398**\\ 3.08\\ -0.0464**\\ -2.96\end{array}$	-0.0667 -1.79 -0.1786** -4.61 0.2053** 3.89 -0.3501** -4.29 MIC defined a	ming up the tra st of sells (D(Se ty volatility, sp on the day, tra- d runs from Jar
	8 days Coeff. <i>t</i> -value	0.0620** 3.74 0.0705** 3.81 0.1424** 3.65 -0.0443**	-0.0153 -0.46 -0.1084** -2.95 0.1901** 4.65 -0.3371** -4.95 ent variable is	mated by sum: ktet impact cos SMIC). Intrada capitalization (ssample perioc
	7 days Coeff. <i>t</i> -value	$\begin{array}{c} 0.0580 ** \\ 3.67 \\ 0.0603 ** \\ 3.71 \\ 0.1430 ** \\ 4.82 \\ -0.0405 ** \\ -3.27 \end{array}$	-0.0519 -1.62 -0.0874** -2.66 0.1690** 5.63 -0.3283** -5.23 re the depende	xecution is esti uy), or the maa MIC) and sells(and market u e reported. The
	6 days Coeff. <i>t</i> -value	0.0443** 3.06 0.0776** 5.68 0.1444** 5.46 -0.0394**	-0.0314 -1.12 -0.0677* -2.28 0.1498** 6.57 -0.3154** -6.45 -6.45 attion (9) whe	$i + \varepsilon_{i,i}$ (9) ount of fund e- st of buys (D(B cost of buys (B) trading amout trading amout trading amout trading amout trading amout trading amout
	5 days Coeff. <i>t</i> -value	$\begin{array}{c} 0.0704**\\ 5.66\\ 0.0769**\\ 6.32\\ 0.1438**\\ 6.95\\ -0.0366**\\ -7.42\end{array}$	-0.0465 -1.88 -0.1102** -4.37 0.1267** 7.79 -0.2963** -6.52 ression in Eq	$_{i} + \sum_{m=1}^{10} \gamma_{i} * \text{Trade}_{i} + \sum_{m=1}^{m} \beta_{i,m} * \text{ControlVariables}_{i,m} + \varepsilon_{i,i}$ (9) lie is the frequency and size of fund execution. The amount of ft A dummy variable is added for the market impact cost of buys Sell). We also adopt a model using the market impact cost of bu daily rate of return, short selling amount, stock price, trading a avity, the regression coefficients and <i>t</i> -values for specific variable significant levels at the 5% and 1% levels, respectively
	4 days Coeff. <i>t</i> -value	$\begin{array}{c} 0.0589^{**}\\ 5.48\\ 0.0659^{**}\\ 6.57\\ 0.1433^{**}\\ 7.50\\ -0.0329^{**}\\ -9.30\end{array}$	-0.0418* -2.16 -0.0697** -3.36 0.0975** 7.70 -0.2650** -8.63 e from the reg	$\sum_{i=1}^{m} \beta_{i,in}^{*}$ * Cont $\sum_{i=1}^{m-1} \beta_{i,in}^{*}$ * Cont led for the mar del using the n selling amour cients and t vs 5% and 1% k
	3 days Coeff. <i>t</i> -value	0.0451** 4.84 0.0695** 7.98 0.1421** 8.25 -0.0270**	-0.0320 -1.95 -0.0389* -2.22 0.0719** 6.42 -0.2430** -5.08	$*$ * Trade _t + \sum equency and s equency and s variable is adolt lso adopt a mon of return, short gression coeffi it levels at the
	2 days Coeff. <i>t</i> -value	$\begin{array}{c} 0.0515**\\ 6.92\\ 0.0555**\\ 8.31\\ 0.1338**\\ 9.44\\ -0.0193**\\ -9.77\end{array}$	-0.0186 -1.52 -0.0821** -6.05 0.0458** 4.29 -0.2081** -6.99 orts the estima	$y_{j_it} + \sum_{n=1}^{10} y_{n-1}$ triable is the fr ins. A dummy D(Sell). We a tio, daily rate of brevity, the re- ally significar
	1 day Coeff. <i>t</i> -value	$ \begin{array}{llllllllllllllllllllllllllllllllllll$. <i>VG SMIC</i> -0.0316** -3.53 -0.0381** -4.72 0.0164** 5.53 -0.1561** -8.62 This table repo	$MG_{i,i} = \alpha_0 + \beta_0 * D(Buy)_{i,i}$ The main independent varial The main independent varial of buys and sells (D(Buy), D(S measure, short selling ratio, of variables. For the sake of bre * and *** indicate statistically
Table 7. Market impact cost by order execution period	Variable	<i>Panel A: A</i> Dummy BMIC Dummy SMIC SMIC Buy Amount Sell Amount	Panel B: AVG SMIC Dummy -0.0316 BMIC -3.53 BMIC -3.53 Dummy -0.0316 Buy 0.0164 Buy 0.0164 Amount 5.53 Sell -0.1561 Amount 5.53 Note(s): This table -0.1561	MIC _{<i>i</i>,<i>i</i>} = α The main i: continuity. continuity. and assure, si variables. I and ^{**} ind

market, where individual investors account for about 50% of the trading volume, foreign and institutional investors' buys of specific stocks are considered good news. If the NPS reduces the proportion of certain stocks and incurs significant market impact costs, it is highly likely to act as bad news for individual investors.

The purpose of this study is to examine the market impact cost asymmetry between buys and sells and to suggest a trading strategy for mitigating the market impact cost. From 2010 to 2018, the market impact costs of buys and sells are calculated based on the transaction history of the NPS, and the asymmetry is analyzed. The main analysis results of the questions posed by the authors are as follows. First, there is an asymmetry between the buying side and the selling side in the market impact cost of the NPS. The market impact cost of the NPS is gradually increasing over time, and the market impact cost from selling has increased significantly in recent years. Second, past returns, volatility, liquidity and trading intensity can be found as external factors affecting the asymmetric market impact cost of the NPS. Although there is no difference between the buying and selling ratios of the NPS, the market impact cost from sells is relatively higher than that from buys. After controlling for stock characteristics and past returns, the market impact cost of sells is still relatively larger than that of buys. Third, as an internal factor affecting the asymmetric market impact cost of the NPS, the differential order strategy between the sell order and the buy order of the NPS may be a factor. As a result of reflecting the order execution period and execution size of the NPS, the longer the trade execution period and the lower the market impact cost. This result implies that the strategy of splitting orders as a way to reduce market impact costs is effective. However, even considering the trade execution period, the market impact cost of sells is still higher than that of buys. This result is attributable to the NPS's more aggressive order submission on sell orders.

The trading strategy and market influence of the NPS have a significant impact on other investors directly or indirectly. The disposition of the NPS can act as bad news for the market. In particular, if excessive market impact costs are incurred, the adverse effect on the stock price will be further doubled. Since the NPS is planning a strategy to reduce the proportion of domestic stock investment in the future, an exit strategy could cause a bigger drop in the stock price than expected. Accordingly, it is necessary for the NPS to distribute market impact costs through trading splits in executing order submission and trading strategies in the domestic stock market.

References

- Chan, L. and Lakonishok, J. (1993), "Institutional trades and intraday stock price behavior", Journal of Financial Economics, Vol. 33, pp. 173-199.
- Chan, L. and Lakonishok, J. (1997), "Institutional equity trading costs: NYSE versus Nasdaq", Journal of Finance, Vol. 52, pp. 713-735.
- Chiyachantana, C., Jain, P., Jiang, C. and Wood, R. (2004), "International evidence on institutional trading behavior and price impact", *Journal of Finance*, Vol. 59, pp. 869-898.
- Chiyachantana, C., Jain, P., Jiang, C. and Sharma, V. (2017), "Permanent price impact asymmetry of trades with institutional constraints", *Journal of Financial Markets*, Vol. 36, pp. 1-36.
- Domowitz, G. and Madhavan, A. (2001), "Liquidity, volatility, and equity trading costs across countries and over time", *International Finance*, Vol. 4, pp. 221-255.
- Eom, Y. and Woo, M. (2021), "Market impact cost of National Pension System", Korean Journal of Financial Management, Vol. 38 No. 4, pp. 1-27.
- Kang, J. (1999), "Empirical analysis of market impact cost: international comparison and analysis of changes in the domestic market", *Journal of Money and Finance*, Vol. 13 No. 2, pp. 343-360.
- Keim, D. and Madhavan, A. (1997), "Transaction costs and investment style: an inter-exchange analysis of institutional equity trades", *Journal of Financial Economics*, Vol. 46, pp. 265-292.

Market impact cost asymmetry of the NPS

195

JDQS 30,3	Kho, B., Lee, B., Lee, W. and Hwang, L. (2008), "Does National Pension Service's trading destabilize Korean stock market", <i>Korean Journal of Financial Studies</i> , Vol. 37 No. 3, pp. 465-500.
00,0	Lee, J. and Choe, H. (1997), "Market impact costs on the Korean exchange", Korean Journal of Financial Studies, Vol. 20 No. 1, pp. 205-232.
	Nahm, J., Won, S. and Kim, J. (2015), "Impact of the Korean National Pension Fund on the domestic stock market", <i>Journal of Korean Economics Studies</i> , Vol. 33 No. 3, pp. 35-68.
196	Sarr, G. (2001), "Price impact asymmetry of block trades: an institutional trading explanation", <i>Review</i> of <i>Financial Studies</i> , Vol. 14, pp. 1153-1181.
	Woo, M. and Kim, J. (2018), "The influence of the Korean National Pension Fund on stock markets", <i>Asian Review of Financial Research</i> , Vol. 31 No. 2, pp. 221-258.

- Woo, M. and Kim, J. (2019), "The effects of National pension Service trading on KOSDAQ market", *Review of Financial Information Studies*, Vol. 8 No. 1, pp. 47-73.
- Woo, M. and Kim, M. (2021), "The market impact of futures trading by the National Pension Service (NPS) of Korea", *Journal of Derivatives and Quantitative Studies*, Vol. 29 No. 3, pp. 215-233.

Corresponding author

Yunsung Eom can be contacted at: yseom@hansung.ac.kr

For instructions on how to order reprints of this article, please visit our website: www.emeraldgrouppublishing.com/licensing/reprints.htm Or contact us for further details: permissions@emeraldinsight.com